

Thanks to the following for corrections/suggestions:

- Jhc, PhD.
- Dr. Avi, MD.
- Alex Malpass, PhD.

Central argument.

Objections.

Supporting arguments.

Bedrock.

Questions.

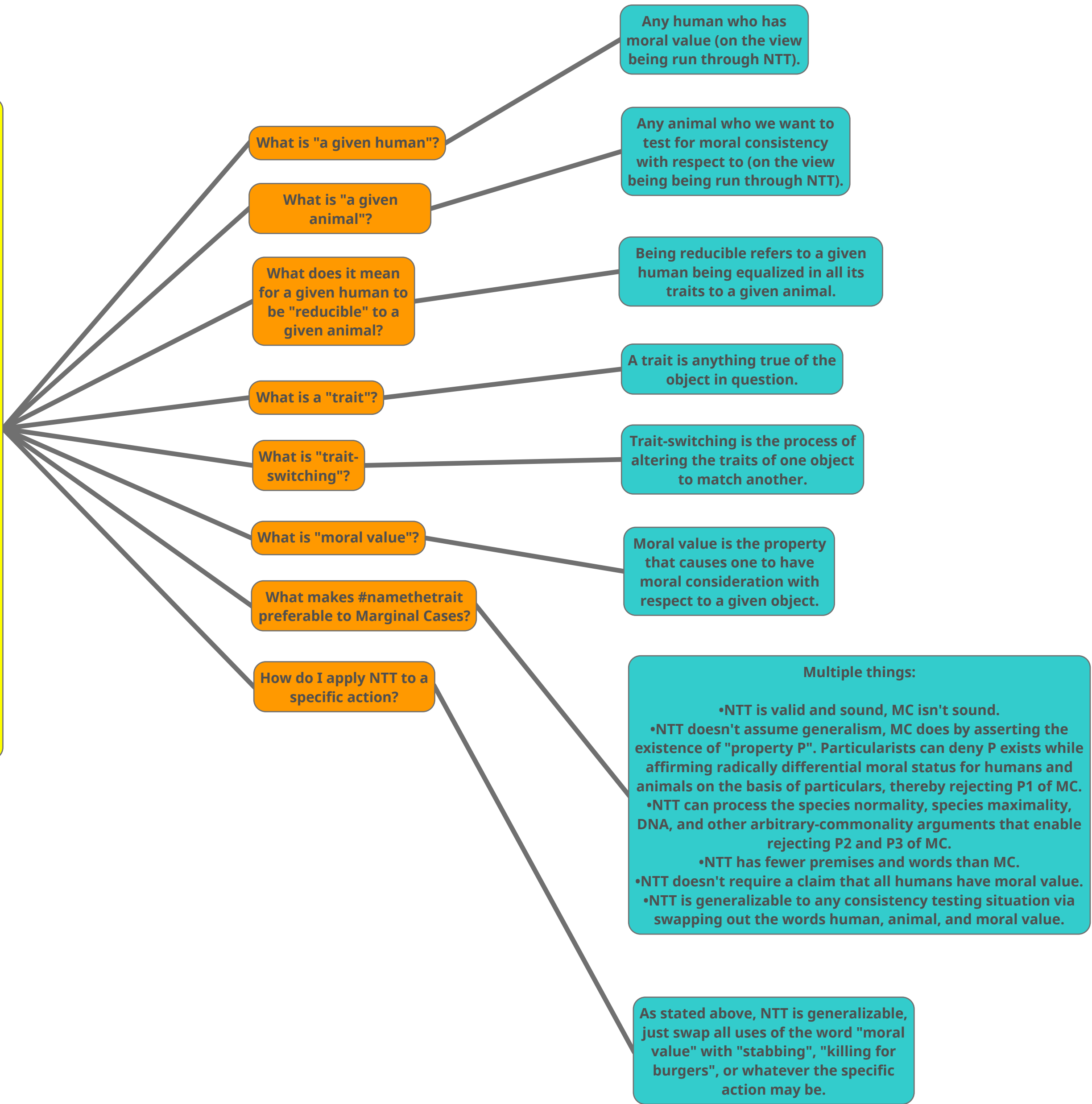
Answers.

#namethetrait

P1) If all views in category x are all views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value, all views in category x are only able to deny the given animal has moral value on pain of $p \wedge \neg p$.

P2) All views in category x are all views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value.

C) Therefore, all views in category x are only able to deny the given animal has moral value on pain of $p \wedge \neg p$.



Reject P1. Reject P2. Reject C.

α

P1) If all views in category x are all views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value, all views in category x are views that affirm the given animal has moral value.

P2) If all views in category x are views that affirm the given animal has moral value, all views in category x are only able to deny the given animal has moral value on pain of $p \wedge \neg p$.

C) Therefore, if all views in category x are all views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value, all views in category x are only able to deny the given animal has moral value on pain of $p \wedge \neg p$.

You've hit bedrock. Category x is defined as:
The category containing all views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value.

You've hit bedrock. This argument follows the "modus ponens" rule:
P1) $p \rightarrow q$.
P2) p .
C) q .

Reject P1. Reject P2. Reject C.

αα

P1) If all views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value (p) are views that affirm the given animal has moral value (q), then if all views in category x (r) are all views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value (p), all views in category x (r) are views that affirm the given animal has moral value (q).

P2) All views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value are views that affirm the given animal has moral value.

C) Therefore, if all views in category x are all views that affirm a given human is reducible to a given animal (via trait-switching) while retaining moral value, all views in category x are views that affirm the given animal has moral value.

αβ

P1) If all views that affirm the given animal has moral value (p) are only able to deny the given animal has moral value on pain of $p \wedge \neg p$ (q), then if all views in category x (r) are views that affirm the given animal has moral value (p), all views in category x (r) are only able to deny the given animal has moral value on pain of $p \wedge \neg p$ (q).

P2) All views that affirm the given animal has moral value are only able to deny the given animal has moral value on pain of $p \wedge \neg p$.

C) Therefore, if all views in category x are views that affirm the given animal has moral value, all views in category x are only able to deny the given animal has moral value on pain of $p \wedge \neg p$.

You've hit bedrock. This argument follows the "hypothetical syllogism" rule:
P1) $p \rightarrow q$.
P2) $q \rightarrow r$.
C) $p \rightarrow r$.

Reject P1. Reject P2. Reject C.

You've hit bedrock, this premise is just an affirmation of the "modus barbara" syllogism:
P1) All p are q.
P2) All r are p.
C) ∴ all r are q.

You've hit bedrock. It's taken for granted that:
Any traits retained in the given human after switching all their traits to match the the given animal are traits possessed by both beings.

You've hit bedrock. This argument follows the "modus ponens" rule:
P1) $p \rightarrow q$.
P2) p .
C) q .

Reject P1. Reject P2. Reject C.

You've hit bedrock, this premise is just an affirmation of the "modus barbara" syllogism:
P1) All p are q.
P2) All r are p.
C) ∴ all r are q.

You've hit bedrock. It's taken for granted that:
Views which affirm p are only able to deny p on pain of $p \wedge \neg p$.

You've hit bedrock. This argument follows the "modus ponens" rule:
P1) $p \rightarrow q$.
P2) p .
C) q .